



Fermilab

DESIGN CONSIDERATIONS IN VAPOR PRESSURE THERMOMETRY

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ABSTRACT

Proper VPT design identifies the upper limit of the vapor pressure bulb region, the beginning of the gas bulb region, and fixes the liquid level of the bulb below a level consistent with quick response over the entire operating range. These points are determined by charge pressure and the ratio of, and details of connections between, the warm and cold volumes. Knowledge of the volume ratio and the charge pressure can be used to specify the temperature range of the VPT, and leads to increased utilization as a gas bulb thermometer.

GAS BULB CURVE

Determining the VPT/gas bulb thermometer transition requires plotting a curve of P vs. T , for a given geometry, in the gas region and locating the intersection with the vapor pressure curve. Generating that curve requires knowledge of the following parameters: charge pressure P_I , charge temperature T_I , warm volume V_w , cold volume V_c , and the length of capillary tubing experiencing a thermal gradient from ambient temperature to the temperature at the sensing bulb T_c . The capillary length L_c , is only the portion experiencing a gradient; i.e., the distance from the point on a heat exchanger where the tube enters a vacuum jacket to the point it connects to the sensing bulb. The tube outside the vacuum jacket is included in V_w . Knowing P_I and T_I defines the initial system density ρ_I , which can be found using the NBS tables of thermophysical properties for the charging fluid. The total system volume, V_T , is known and the system mass, M_s , follows:

$$M_s = \rho_I \cdot V_T$$

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As the bulb cools the measured pressure P_m decreases. It is important to determine how mass is distributed in each part of the system. Knowing P_m and the ambient temperature defines the warm density ρ_w . M_w , the mass in the warm region, follows:

$$M_w = \rho_w \cdot V_w$$

Finding the mass in the capillary tube M_{cap} , is more involved. A plot of thermal conductivity vs. temperature is shown in Figure 1. Integrating the curve from ambient temperature to T_c yields a value of $K(T_c)$ (watts/cm). L_c can be divided into i segments such that $\sum_0^i L_i = L_c$. The thermal conductivity over segment i is λ_i , and the temperature difference is ΔT_i . The length of the segment L_i then follows as

$$L_i = \frac{\lambda_i L_c T_i}{K(T_c)}$$

Note that L_i is independent of capillary cross section. Each segment L_i has a temperature which is the average value over ΔT_i . Each ΔT_i has a unique ρ_i since P_m is constant for the tube. Each segment's mass may then be calculated, assuming the area of the hole in the tube is known

$$M_i = L_i \cdot \text{Area} \cdot \rho_i$$

The mass in the capillary tube follows

$$M_{cap} = \sum_0^i M_i$$

The density in the cold bulb ρ_c is

$$\rho_c = \frac{M_s - (M_w + M_{cap})}{V_c}$$

Knowing P_m and ρ_c defines a cold temperature T_c in the bulb. The correction for the portion of the capillary tubing having a thermal gradient is especially important in the gas bulb range. If the tube is assumed ambient along its entire length, errors of 30% to 75% can be introduced for temperatures 15°K and above.

INTERSECTION OF GAS AND VAPOR CURVES

Figure 2 shows a plot of P vs. T for two systems. Both systems have exactly the same geometry, but their charge pressures are different. P_I of 5 atm intersects the vapor curve at 4.7°K. P_I of 8 atm intersects at 5.1°K. Raising P_I has increased the useful VPT range significantly. Figure 3 shows a plot of $\frac{dP}{dT}$ vs. T to illustrate the gas bulb temperature sensitivity of the VPT.

In the temperature region of ≈5°K, M_{cap} is 2.3 times that at an assumed $T_{charge} = 300^\circ K$. Defining the volume ratio R in the vicinity of 5°K as

$$R_{5^\circ K} = \frac{V_w + 2.3V_{cap}}{V_c} = \frac{V'_w}{V_c}$$

is a good approximation and avoids dealing with absolutes. Figure 4 shows a plot of P_I vs. R. The curves represent the locus of points whose P_I and R give intersection temperatures of 4.5, 4.75, 5.0°K. If the geometry of a system is fixed, P_I may be adjusted to optimize the range of the VPT. If P_I is fixed because of gauge resolution considerations, R can be appropriately adjusted.

There are some corrections to Figure 4 when L_c becomes sufficiently large. Figure 5 shows P_I vs. R at $T_{intersection} = 5^\circ K$ for two values of L_c , 1.5 and 7.0 meters. The correction is important in analyzing heat exchangers with large L_c .

EXCESS MASS SYSTEMS

It is possible, through over-charging the system, or making R too large, to preclude the intersection of the gas and vapor bulb curves. A volume ratio of $R = 79$, charged to $P_I = 10$ atm demonstrates this effect in Figure 6. The gas in the bulb cools, dropping the system pressure as before. Now, however, it passes above the critical pressure at the critical temperature. At exactly the critical temperature it can be shown that the bulb density at point A is greater than at the C.P. The critical conditions at C.P. require the system at point A to rise in pressure to provide a lower density equal to C.P. Therefore, A is a stable point. Figure 7 shows a temperature-entropy chart for helium where C.P. and A are shown at 5.2°K. Point A at 3.4 atm follows the solid line to the left of the liquid dome, never penetrating it.

Liquid is formed but never in an equilibrium state so it is useless as a VPT. The same arguments can be applied to points B and C to show that B is stable; i.e., has a greater density than point C. The generalization is that the two curves never meet.

This can be thought of as over-filling the bulb. The point B represents a bulb full of subcooled liquid (like a bubble chamber) that cannot exhibit control over the system pressure by condensation. Figure 8 shows P_I vs. R where $T_{\text{intersection}} = 5.1^\circ\text{K}$. The shaded region represents combinations of P_I and R which cause excess mass problems. No attempt, beyond defining the region of excess mass, is made to quantify this case.

PERCENT LIQUID IN BULB

To prevent over-filling bulbs, and maintain speed of response, it is useful to know the fraction of liquid in the bulb in the VPT range. There are two densities defined by T_c , that of the liquid ρ_l , and that of the gas ρ_g . The fraction of liquid follows:

$$\text{Liq. Frac} = \frac{(M_s - (M_w + M_c)) - V_c \rho_g}{V_c (\rho_l - \rho_g)}$$

If the fraction is less than 50%, the response of the gauge will be improved. VPTs which meet the criteria of Figure 8 will fill to 50% at coldest operating temperatures, thereby making bulb over-fill impossible.

CONCLUSION

The calculations shown can lead to a greater understanding of VPTs, however, because of the number of calculations which must be performed for each change in the system, a computer program has been written to solve these equations. The program is written specifically for helium VPTs and utilizes subroutines for the thermophysical properties of helium-4, developed by R.D. McCarty of the National Bureau of Standards in Boulder, Colorado. The data for all of the Figures shown are results of the program,

except Figure 1, which is taken from R.L.Powell and W.A.Blanpied, NBS, and Figure 7, also from NBS. The program is under public file name TEMFIL. By changing the subroutines to properties of other gases, and by making slight modifications, the program can be used to study VPTs with any charging fluid.

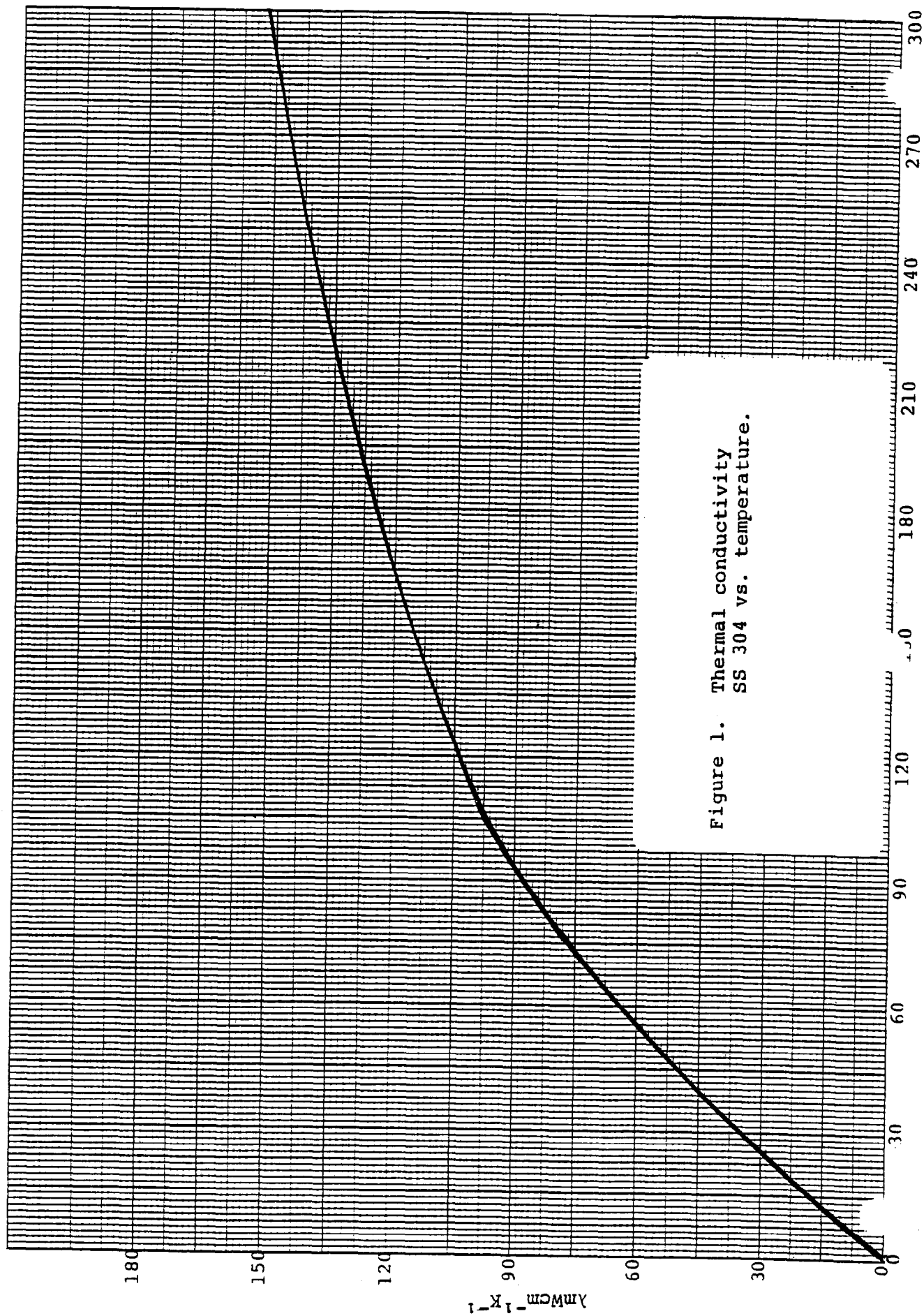
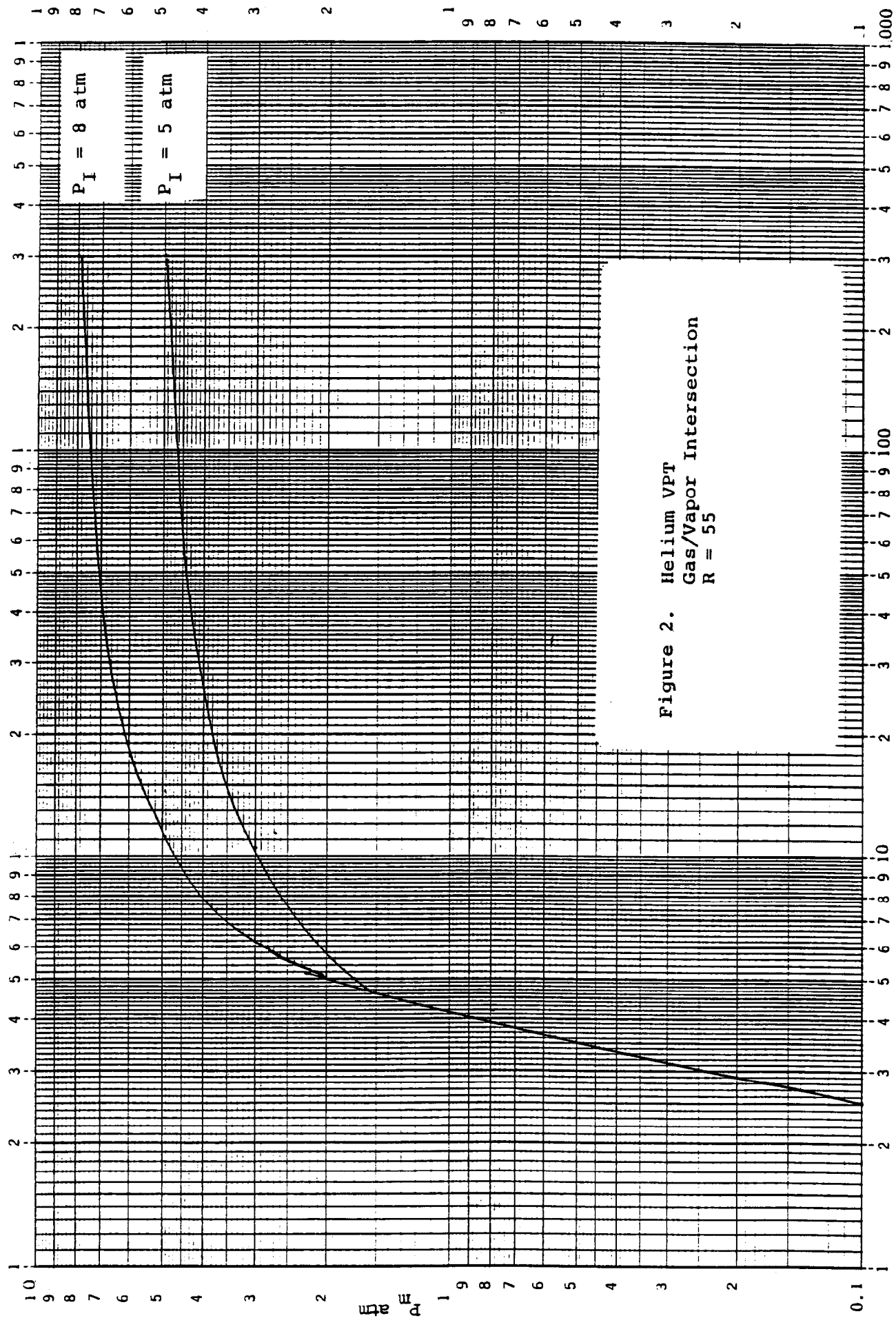


Figure 1. Thermal conductivity
SS 304 vs. temperature.



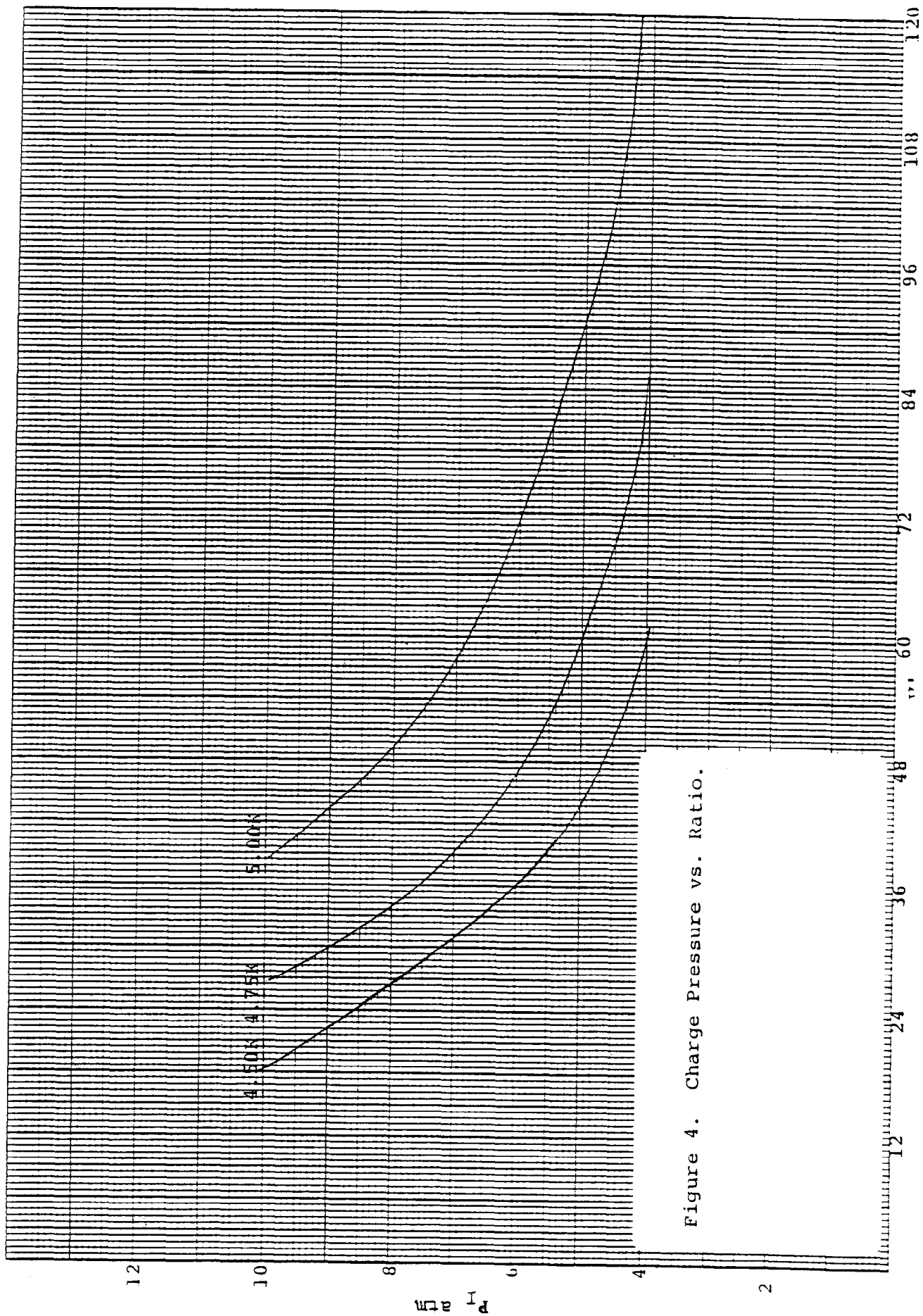
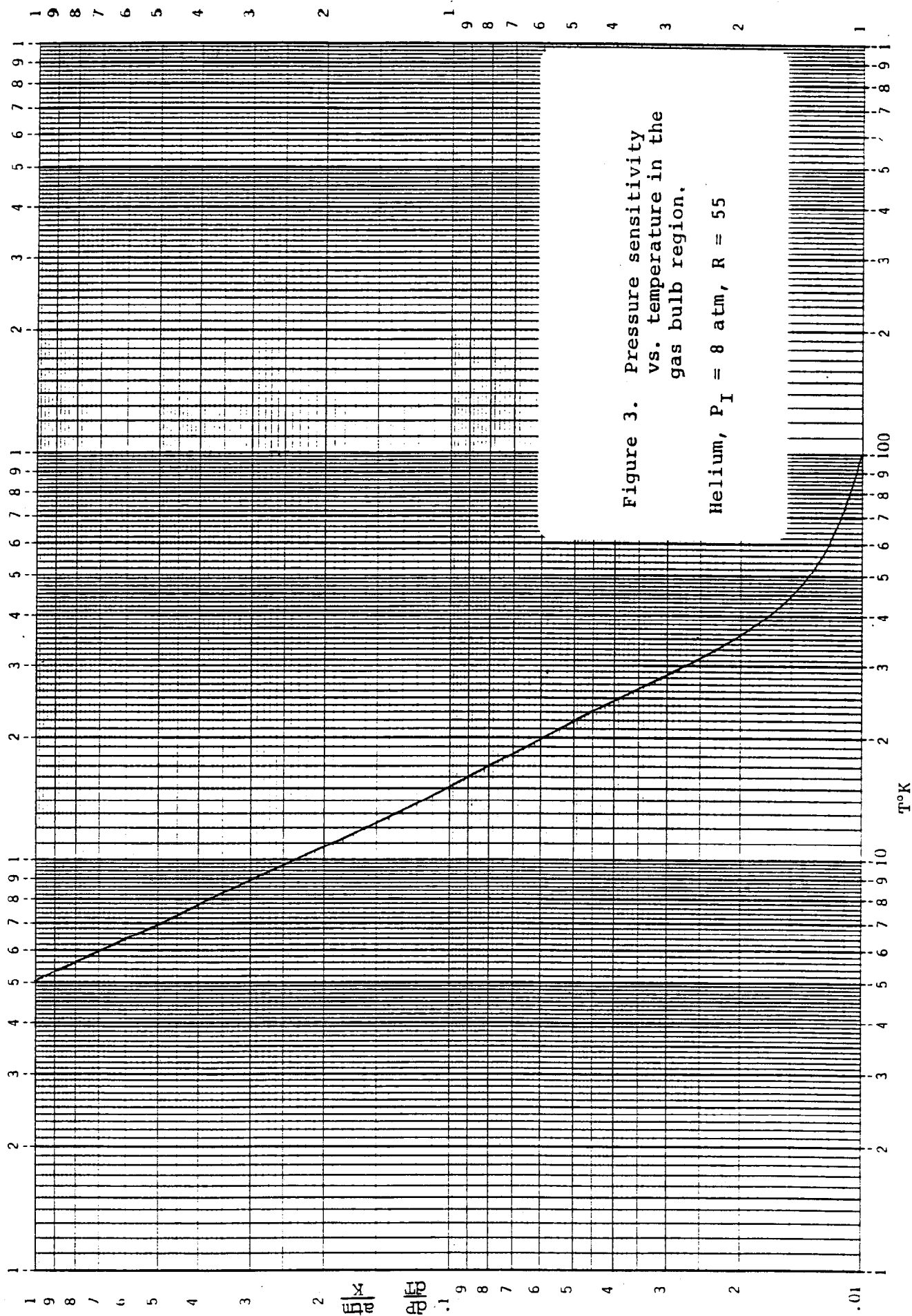


Figure 4. Charge Pressure vs. Ratio.



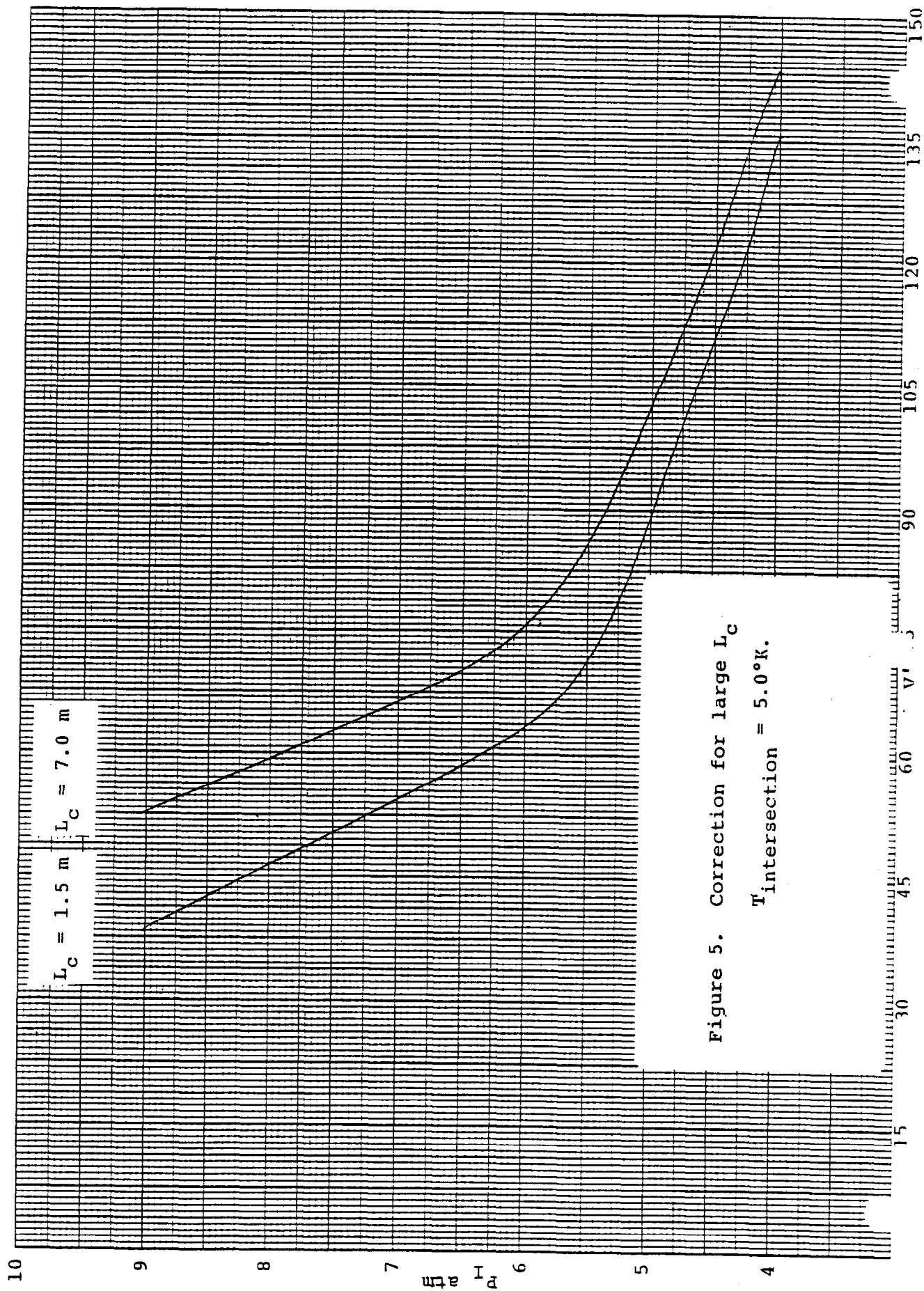


Figure 5. Correction for large L_C

$T_{\text{intersection}} = 5.0^\circ\text{K}.$

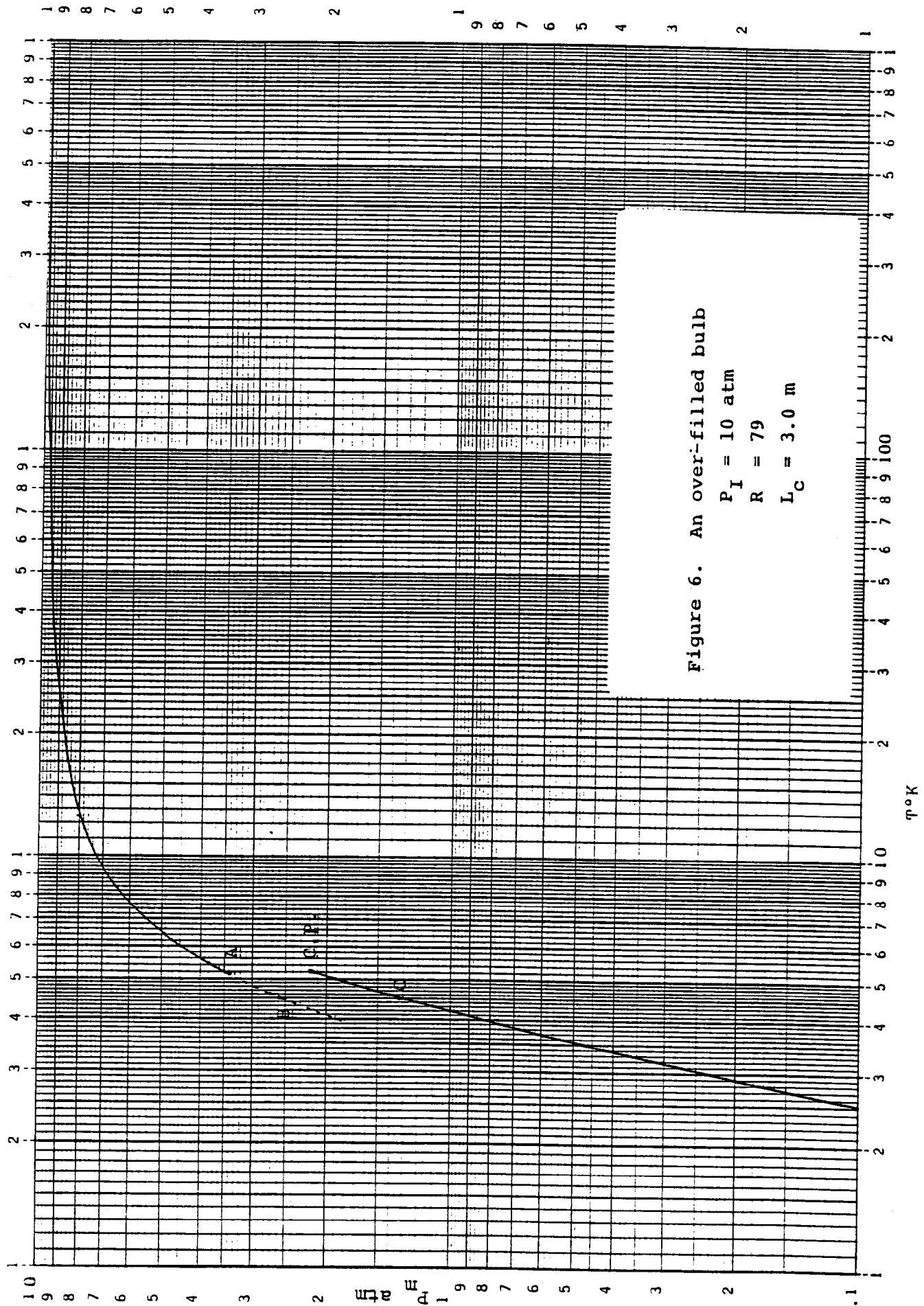
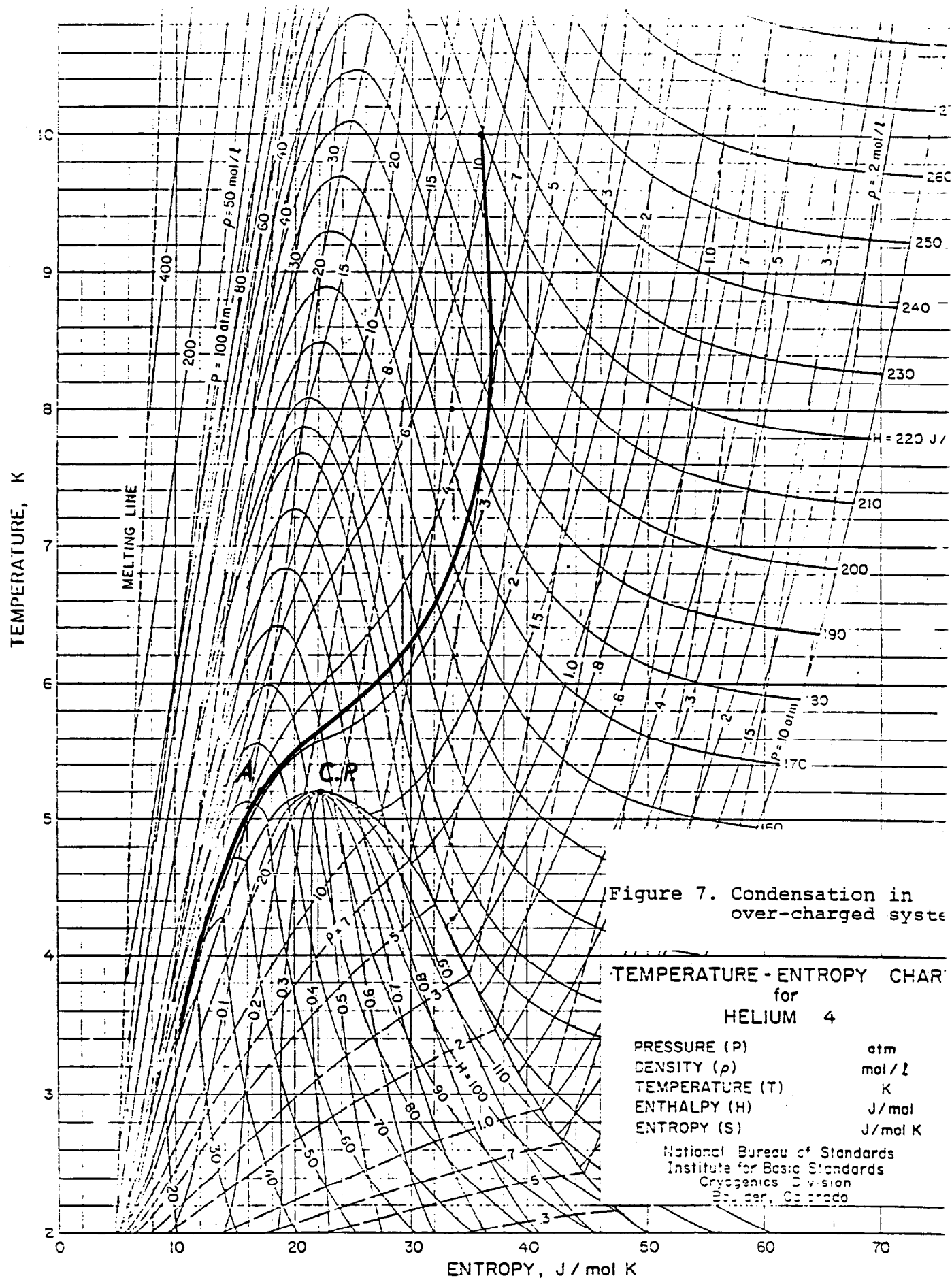


Figure 6. An over-filled bulb
 $P_I = 10 \text{ atm}$
 $R = 79$
 $L_C = 3.0 \text{ m}$



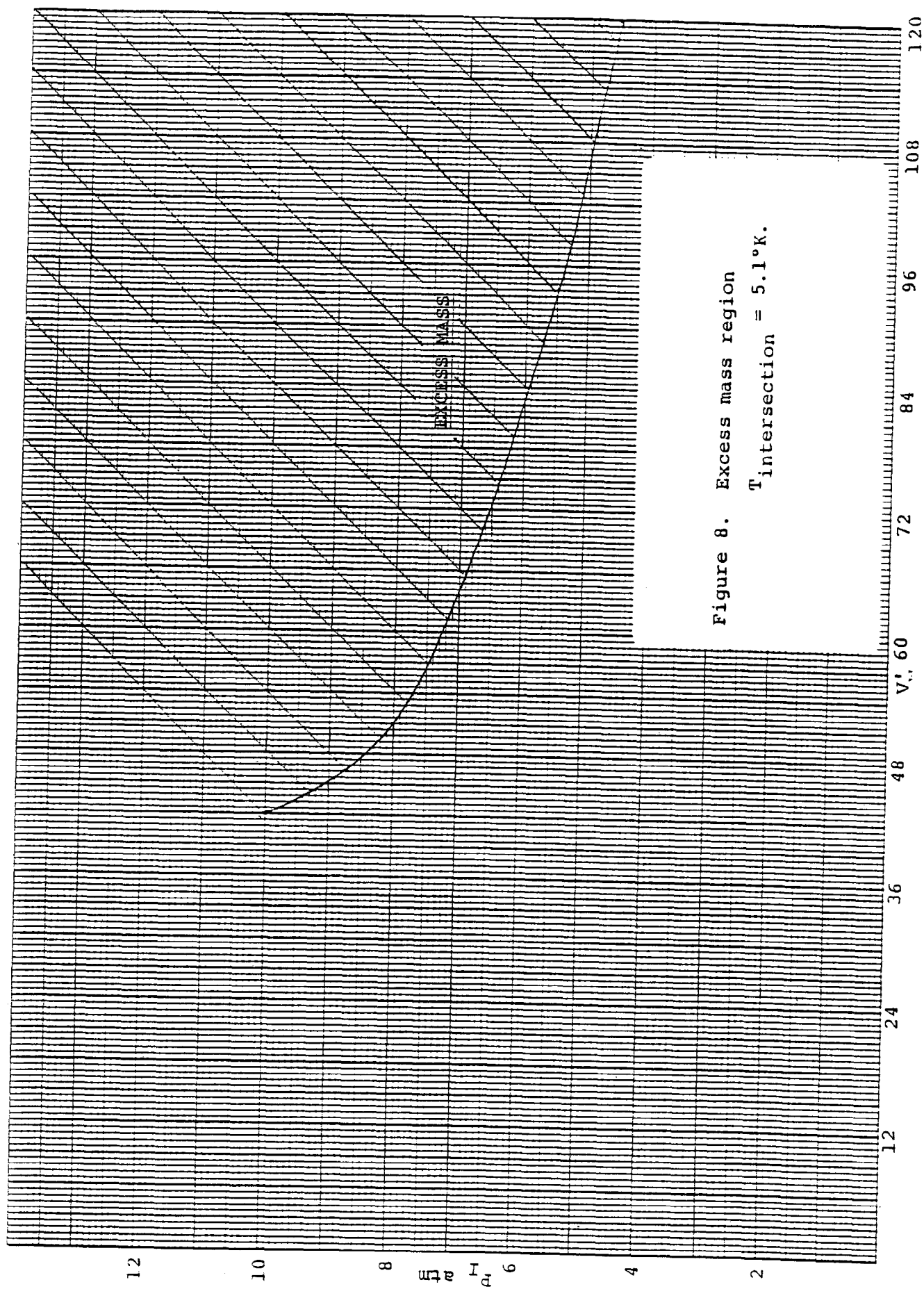


Figure 8. Excess mass region
 $T_{\text{intersection}} = 5.1^\circ\text{K}.$



Fermilab

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FILE/TEMFIL

PROGRAM: HELIUM

ANALYZES HELIUM VPT DESIGN

Initial Parameters:

PC = Initial charge pressure
PM = Pressure measured from gauge
CT = Initial charge temperature
TM = Ambient temperature at time of measurement
VW = Warm volume, excluding cap tube experiencing thermal gradient
CAPLEN = Length of cap tube experiencing gradient

DENO = FINDD (PC, CT, DI)
Finds density in system at initial conditions where DI is an initial estimate of density.

CONST = VT*DENO
Finds system mass CONST, where VT is total system volume.

DENW = FINDD (PM, TM, DI)
Finds density in warm region for a given PM and TM.

DENC = (CONST - VW + VCAP)*DENW)/VC
Calculates cold density assuming no thermal gradient in CAPLEN.

TEMP = FINDT (PM, DENC)
Finds temperature in bulb defined by PM and DENC.

FACTOR = ((-4.33E-3)*TEMP)+2.3
Finds factor of increase for VCAP which is the mass factor of increase in CAPLEN as temperature of bulb drops.

RATIO = (VW + (FACTOR*VCAP))/VC
Determines $R = \frac{V_w}{V_c}$

Subroutine CAPMAS

Array contains values of temperatures and their respective thermal conductivities for SS 304 from 300°K to 5°K.

CONDC = $(-1 * ((-4.17E-7 * TEMP) + 5E-4) * TEMP * TEMP) + 30.6$
 Determines the integrated value of thermal conductivity vs. temperature from 300°K to TEMP where TEMP is the initial temperature estimate assuming CAPLEN warm.

DELTAT is difference between two temperatures in the array.

AVET is their average temperature.

AVEK is their average value of thermal conductivity.

IF (AVET.LT.TEMP) GOTO 503
 Stops loop when it has read through the array down to temperature in bulb.

SEGLE = $AVEK * CAPLEN / CONDC * DELTAT$
 Determines L_i for a section of CAPLEN.

DENSEG = P_i for a section of CAPLEN.

SEGMAS = M_i

SUMMAS = $\sum_{i=0}^i M_i$

DENCC = $(CONST - (VW * DENW + SUMMAS)) / VC$
 Corrects cold density in bulb now taking into account thermal gradient.

IF (DENCC.LT.0.0) TEMP = TEMP+12

IF (DENCC.LT.0.0) GOTO 400

If initial estimate of TEMP is very low, DENCC can be negative because SUMMAS will have too large a value. This occurs in the gas bulb region where TEMP is usually a low first estimate. These statements correct this situation by increasing TEMP.

TEMPC = FINDT(PM,DENCC)
 Corrects initial temperature estimate.
 Corrected temperature TEMPC, will be too large if initial estimate TEMP is too low.

TEMP = TEMP + 0.2

IF (TEMPC.GT.TEMP) DIFF = TEMPC - TEMP

IF (TEMP.GT.TEMPC) DIFF = TEMP - TEMPC

IF (DIFF.LT.0.4) GOTO 403

This series of statements makes TEMP and TEMPC converge to an accuracy of 0.4. For lower temperatures the accuracy can be increased.

Cont'd.

The pressure at TEMPIN follows:

$$\text{PRESIN} = (\text{SLOP1} * \text{TEMPIN}) + \text{B1}$$

By repeating the procedure until the slopes are equal, or until the intersecting pressure is just greater than the pressure given, the point of intersection can be found.

Subroutine MTEST

This subroutine tests to see if the system mass is too large. If the temperature on the gas curve at 2.2 atm is less than 5.2°K, the gas curve has "over-shot" the vapor curve and an over-massed system exists.

EL:er
8/14/81


```

PROGRAM HELIUM(INPUT,OUTPUT)
COMMON VM,VC,CONST,TH,PRESIN,TEMPT,PM,CAPLEN,SUMMAS,TEMP,DENW,

```

```

2 DENCC
C
GIVE INITIAL PARAMETERS

```

```

PRINT 20
READ*,PC
PRINT 25
READ*,PM
PRINT 30
READ*,CT
PRINT 35
READ*,TH
PRINT 40
READ*,VM
PRINT 45
READ*,CAPLEN

```

```

20 FORMAT(*,GIVE CHARGE PRES ATM *)
25 FORMAT(*,GIVE MEASURED PRES ATM *)
30 FORMAT(*,GIVE CHARGE TEMP K *)
35 FORMAT(*,GIVE MEASURED TEMP K *)
40 FORMAT(*,GIVE VOL WARM CC *)
45 FORMAT(*,GIVE LENGTH OF CAP TUBING CM *)
C FINDS GIVE IN BULB & SYSTEM DENSITIES
C ASSUMING ALL CAP. TUBE AMBIENT

```

```

39 VC=.339
C VOLUME VC SET FOR MOST BULBS AT LAB
C VOLUME IN CAP TUBE ASSUMES .125 OD ,.049 WALL
VCAP=CAPLEN*O.0037
VT=VM+VC+VCAP
DI=O.0120

```

```

DENW=FINDD(PM,CT,DI)
CONST=VT*DENO
DENW=FINDD(PM,TH,DI)
DENC=(CONST-(VM+VCAP)*DENW)/VC
DENC=CONST-VCAP BY FACTOR DEPENDENT ON TEMP AT LOW END
TEMP=FINDD(PM,DENC)
FACTOR=(((-4.33E-3)+TEMP)+2.3
RATIO=(VM+VCAP)/VC
PRINT 37,TEMP,DENC
FORMAT(2,(F11.6))
CALL CAPMAS

```

37

```

PRINT 212
C PRINT 150,TEMP,DENC,DENCC,DENW
C TEST TO SEE IF SYSTEM MASS TOO LARGE
CALL TEST
IF(TEMP.LT.5.2014) GOTO 50
IF(PM.GT.2.245) GOTO 50
CALL INSEC

```

C

```

C IF(PRESIN.LT.PM) GOTO 50
C CALCULATES PERCENT OF LIQUID IN BULB
TEMP=VPTEMP(PM)
DL=DSATL(TEMP)
DG=DSATV(TEMP)
UM=VM+DENW+SUMMAS
CM=CONST-UM
Y=(CM-(VC*DL))/(DG-DL)
X=VC-Y
PFRC=(X/VC)*100
IF(PERC.LT.O) GOTO 50

```

C

```

PRINT 101
FORMAT(*,CHA PRES MEAS PR
PRINT 105,PC,PM,CT,RATIO
FORMAT(5(2X,F6.2))

```

101

105

CHA TEM RATIO *

```

106 FORMAT(*,PERC LIO IN BULB *,)
107 PRINT 107,PERC
108 FORMAT(F7.3)
110 PRINT 110,TEMP,DENCG,DENCL,DENW,*)
120 PRINT 120,TEMP,DENCG,DENCL,DENW
130 PRINT 130,TEMP,DENCG,DENCL,DENW
140 PRINT 140,TEMP,DENCG,DENCL,DENW
150 IF(PM,LT,2.245) GOTO 200
160 PRINT 160,TEMP,DENCG,DENCL,DENW
170 PRINT 170,TEMP,DENCG,DENCL,DENW
180 PRINT 180,TEMP,DENCG,DENCL,DENW
190 PRINT 190,TEMP,DENCG,DENCL,DENW
200 PRINT 200,TEMP,DENCG,DENCL,DENW
210 PRINT 210,TEMP,DENCG,DENCL,DENW
220 PRINT 220,TEMP,DENCG,DENCL,DENW
230 PRINT 230,TEMP,DENCG,DENCL,DENW
240 PRINT 240,TEMP,DENCG,DENCL,DENW
250 PRINT 250,TEMP,DENCG,DENCL,DENW
260 PRINT 260,TEMP,DENCG,DENCL,DENW
270 PRINT 270,TEMP,DENCG,DENCL,DENW
280 PRINT 280,TEMP,DENCG,DENCL,DENW
290 PRINT 290,TEMP,DENCG,DENCL,DENW
300 PRINT 300,TEMP,DENCG,DENCL,DENW
310 PRINT 310,TEMP,DENCG,DENCL,DENW
320 PRINT 320,TEMP,DENCG,DENCL,DENW
330 PRINT 330,TEMP,DENCG,DENCL,DENW
340 PRINT 340,TEMP,DENCG,DENCL,DENW
350 PRINT 350,TEMP,DENCG,DENCL,DENW
360 PRINT 360,TEMP,DENCG,DENCL,DENW
370 PRINT 370,TEMP,DENCG,DENCL,DENW
380 PRINT 380,TEMP,DENCG,DENCL,DENW
390 PRINT 390,TEMP,DENCG,DENCL,DENW
400 PRINT 400,TEMP,DENCG,DENCL,DENW
410 PRINT 410,TEMP,DENCG,DENCL,DENW
420 PRINT 420,TEMP,DENCG,DENCL,DENW
430 PRINT 430,TEMP,DENCG,DENCL,DENW
440 PRINT 440,TEMP,DENCG,DENCL,DENW
450 PRINT 450,TEMP,DENCG,DENCL,DENW
460 PRINT 460,TEMP,DENCG,DENCL,DENW
470 PRINT 470,TEMP,DENCG,DENCL,DENW
480 PRINT 480,TEMP,DENCG,DENCL,DENW
490 PRINT 490,TEMP,DENCG,DENCL,DENW
500 PRINT 500,TEMP,DENCG,DENCL,DENW
510 PRINT 510,TEMP,DENCG,DENCL,DENW
520 PRINT 520,TEMP,DENCG,DENCL,DENW
530 PRINT 530,TEMP,DENCG,DENCL,DENW
540 PRINT 540,TEMP,DENCG,DENCL,DENW
550 PRINT 550,TEMP,DENCG,DENCL,DENW
560 PRINT 560,TEMP,DENCG,DENCL,DENW
570 PRINT 570,TEMP,DENCG,DENCL,DENW
580 PRINT 580,TEMP,DENCG,DENCL,DENW
590 PRINT 590,TEMP,DENCG,DENCL,DENW
600 PRINT 600,TEMP,DENCG,DENCL,DENW
610 PRINT 610,TEMP,DENCG,DENCL,DENW
620 PRINT 620,TEMP,DENCG,DENCL,DENW
630 PRINT 630,TEMP,DENCG,DENCL,DENW
640 PRINT 640,TEMP,DENCG,DENCL,DENW
650 PRINT 650,TEMP,DENCG,DENCL,DENW
660 PRINT 660,TEMP,DENCG,DENCL,DENW
670 PRINT 670,TEMP,DENCG,DENCL,DENW
680 PRINT 680,TEMP,DENCG,DENCL,DENW
690 PRINT 690,TEMP,DENCG,DENCL,DENW
700 PRINT 700,TEMP,DENCG,DENCL,DENW
710 PRINT 710,TEMP,DENCG,DENCL,DENW
720 PRINT 720,TEMP,DENCG,DENCL,DENW
730 PRINT 730,TEMP,DENCG,DENCL,DENW
740 PRINT 740,TEMP,DENCG,DENCL,DENW
750 PRINT 750,TEMP,DENCG,DENCL,DENW
760 PRINT 760,TEMP,DENCG,DENCL,DENW
770 PRINT 770,TEMP,DENCG,DENCL,DENW
780 PRINT 780,TEMP,DENCG,DENCL,DENW
790 PRINT 790,TEMP,DENCG,DENCL,DENW
800 PRINT 800,TEMP,DENCG,DENCL,DENW
810 PRINT 810,TEMP,DENCG,DENCL,DENW
820 PRINT 820,TEMP,DENCG,DENCL,DENW
830 PRINT 830,TEMP,DENCG,DENCL,DENW
840 PRINT 840,TEMP,DENCG,DENCL,DENW
850 PRINT 850,TEMP,DENCG,DENCL,DENW
860 PRINT 860,TEMP,DENCG,DENCL,DENW
870 PRINT 870,TEMP,DENCG,DENCL,DENW
880 PRINT 880,TEMP,DENCG,DENCL,DENW
890 PRINT 890,TEMP,DENCG,DENCL,DENW
900 PRINT 900,TEMP,DENCG,DENCL,DENW
910 PRINT 910,TEMP,DENCG,DENCL,DENW
920 PRINT 920,TEMP,DENCG,DENCL,DENW
930 PRINT 930,TEMP,DENCG,DENCL,DENW
940 PRINT 940,TEMP,DENCG,DENCL,DENW
950 PRINT 950,TEMP,DENCG,DENCL,DENW
960 PRINT 960,TEMP,DENCG,DENCL,DENW
970 PRINT 970,TEMP,DENCG,DENCL,DENW
980 PRINT 980,TEMP,DENCG,DENCL,DENW
990 PRINT 990,TEMP,DENCG,DENCL,DENW
1000 PRINT 1000,TEMP,DENCG,DENCL,DENW

```

```

60 CONTINUE
C PRINT120
120 FORMAT(* SLOPE#1 PRES TEMP *)
C PRINT 250,SLOP1,PR,TEMP,D1
C PRINT130
130 FORMAT(* SLOPE#2 PRES TEMP *)
C PRINT 250,SLOP2,PR,TEMP,B2
C PRINT140
140 FORMAT(*INT TEMP INT PRES*)
PRINT 270,TEMPIN,PRESIN
IF(PRESIN.GT.2.245) PRINT 119
119 FORMAT(* INT. PRES ABOVE CRIT. PRES *)
230 FORMAT(6(2X,F6.2))
250 FORMAT(3(F9.4))
270 FORMAT(2(F9.4))
RETURN
END

C FINDS TEMP AT KNOWN PRESS. & DENSITY
C FUNCTION FINDT(P,D)
C CRITICAL PRESSURE.
C DATA PC /2.245/
C SUPPLY INITIAL TEMPERATURE
C AND DENSITY ESTIMATES.
TO=250.0
DT = 0.120

C FIND 2-PHASE TEMPERATURE.
TV = 2.0
IF(P.LT.PC) TV = VPTMP(P)
DO 100 ITER=1,20
DO=FINDD(P,TO,DT)
DP=FINDD(P,TO+0.1,DI)
DDDT=(DP-DO)/0.1
DELTA=D-DO
IF(DDDT.EQ.0.0) DDDT=DELTA
TO=0.25*DELTA/DDDT+TO
IF(TO.LT.TV) TO = TV
C PRINT 200, DT, DO, DP, DDDT, DELTA, TO, P, D
200 FORMAT (8F9.3)
100 DI = DO
FINDT=TO
RETURN
END

```

C SUMS MASS IN CAP TUBE EXPERIENCING GRADIENT

```
DO 500 I=2,66
  DELTAT=ARRAY(1,I)-ARRAY(1,I-1)
  AVEK=(ARRAY(2,I-1)+ARRAY(2,I))/2
  IF(AVEK.LT.1) GOTO 503
  AH=.0037
  SEGLE=AVEK*CAPLEN/CONDC*DELTAT
  DI=.012
  DENSG=FINDD(PM,AVET,DI)
  SEGMA=DENSEG*SEGLE*AH
  SUMMAS=SUMMAS+SEGMA
  PRINT 502,SUMMAS,SEGLE,AVEK,AVET,DELTAT,CONDC
  FORMAT(6(E12.5))
  CONTINUE
  CONTINUE
  PRINT 505,SUMMAS
  FORMAT(E13.4)
  CORRECTS COLD DENSITY AND CORRECTS TEMP
```

```
DENCC=(CONST-(VW*DENW+SUMMAS))/VC
IF(DENCC.LT.0.0) TEMP=TEMP+12
TEMPC=FINDD(PH,DENCC)
TEMP=TEMP+0.2
IF(TEMP.GT.TEMPC) DIFF=TEMP-TEMPC
IF(DIFF.LT.0.4) GOTO 403
FORMAT(3(E13.4))
CONTINUE
CONTINUE
RETURN
END
```

401
400
403

C SURROUTINE TO FIND INTERSECTION OF VPT & GAS CURVES

SURROUTINE INISEC
COMMON VW,VC,CONST,IM,PRESIN,TEMPT,PM,CAPLEN,SUMMAS,TEMP,DENW,

2

C TAKES DERIVATIVE AT PT. ON GAS CURVE

```
PR=2.2
DI=.012
DENW1=FINDD(PR,IM,DI)
DENCL=(CONST-(VW*DENW1+SUMMAS))/VC
PR2=PR-.1
DENW2=FINDD(PR2,IM,DI)
DENCL2=(CONST-(VW*DENW2+SUMMAS))/VC
SLOP1=0.1/(TEMP1-TEMP2)
SLOP2=0.1/(TEMP1-TEMP2)
SLOP1=PR-(SLOP1*TEMP1)
TEMP1=VPTEMP(PR)
PR2=PR-.01
TEMP2=VPTEMP(PR2)
SLOP2=0.1/(TEMP1-TEMP2)
B2=PR-(SLOP2*TEMP1)
IF(SLOP1.EQ.SLOP2) TEMPIN=PR
IF(SLOP1.EQ.SLOP2) PRESIN=PR
TEMPIN=-1+(SLOP1)/(SLOP1-SLOP2)
PRESIN=(SLOP1*TEMP1)+B2
IF(PRESIN.LT.PR) PR=(PR-PRESIN)/2+PRESIN
GOTO 30
```

C SECTION OF VPT AND GAS CURVES